

1. Point A is located at $(4, -7)$. The point is reflected in the x -axis. Where is its image located?

2. The endpoints of \overline{AB} are $A(3,2)$ and $B(7,1)$. If $\overline{A''B''}$ is the result of the transformation of \overline{AB} under $D_2 \circ T_{-4,3}$ what are the coordinates of A'' and B'' ?

3. Which transformation can map the letter **S** onto itself?

(1) glide reflection	(3) line reflection
(2) translation	(4) rotation

4. What is the image of point $(-3,9)$ after the composition of transformations defined by $R_{90^\circ} \circ r_{y=x}$?

5. Which transformation is not always an isometry?

(1) dilation	(3) line reflection
(2) translation	(4) rotation

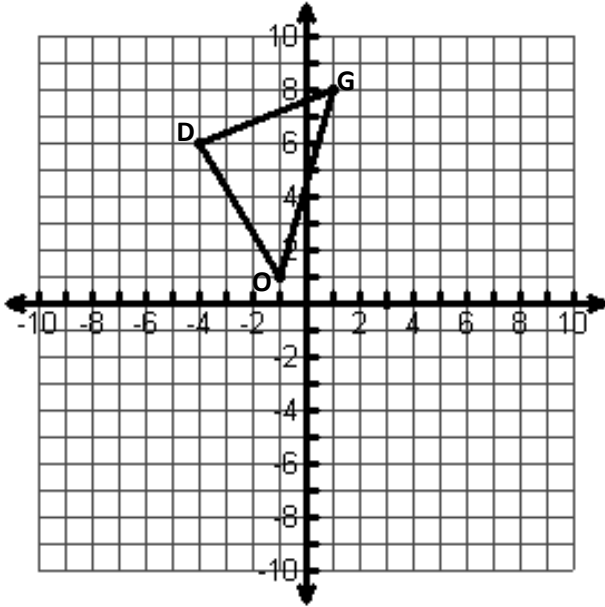
6. Point C is located at $(3, 8)$. The point is reflected over the line $x = 6$. Where is its image located?

7. When $\triangle ABC$ is dilated by a scale factor of 2, its image is $\triangle A'B'C'$. Which statement is true?

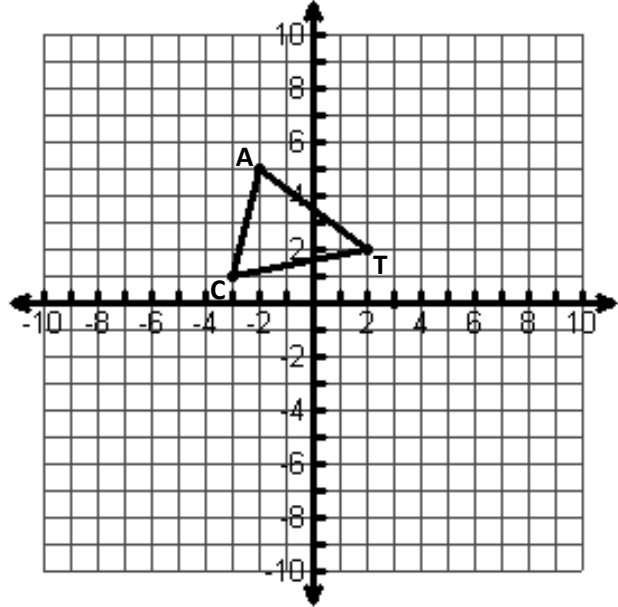
1) $\overline{AC} \cong \overline{A'C'}$	3) perimeter of $\triangle ABC =$ perimeter of $\triangle A'B'C'$
2) $\angle A \cong \angle A'$	4) $2(\text{area of } \triangle ABC) = \text{area of } \triangle A'B'C'$

8. Point M is located at $(4, 7)$. The point is reflected over the x -axis and then reflected over the y -axis. Where is its image located? Name a single transformation that would map point M to its image?

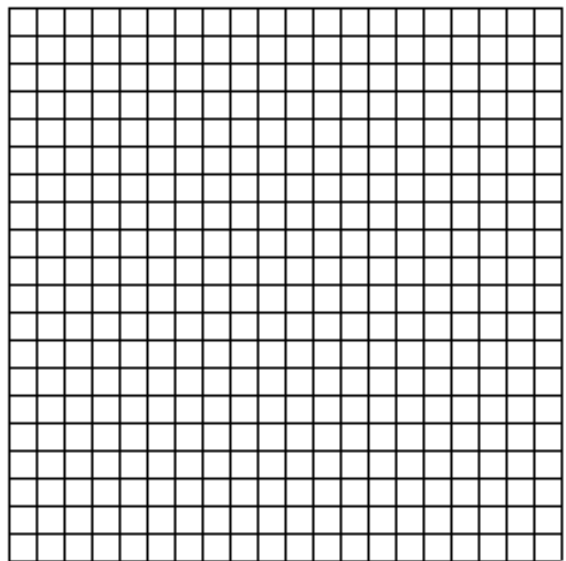
9. Graph and state the coordinates of $\triangle DOG$ after it is rotated -270° .



10. Graph and state the coordinates of $\triangle CAT$ after $r_{y=-2}$



11. On the accompanying grid, graph and label $\triangle ABC$ with vertices $A(3,1)$, $B(0,4)$, and $C(-5,3)$. On the same grid, graph and label $\triangle A''B''C''$, the image of ABC after the transformation $r_{x-axis} \circ r_{y=x}$.



a. Circle all that apply to $\triangle A''B''C''$, the image of ABC .

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|------------------|-------------------------|-----------------------|----------|
| Preserves Length | Preserves Angle Measure | Preserves Orientation | Isometry |
|------------------|-------------------------|-----------------------|----------|

b. Would it matter if the order of the reflections changed to $r_{y=x} \circ r_{x-axis}$? Prove by finding $\triangle A''B''C''$ under this composite transformation.